

# Design of a Manual and Motorized Meat Grinding Machine

Bako Sunday\*<sup>1</sup>, Mohammed B. Ndaliman#<sup>2</sup>

<sup>1</sup>Department of Mechanical Engineering, Nuhu Bamalli Polytechnic Zaria, Nigeria

<sup>2</sup>Department of Mechanical Engineering, Federal University of Technology Minna, Nigeria

**Abstract-** Meat is one of the most essential nutritious food item needed for human consumption from which high quality proteins, minerals and essential vitamins are derived. However, certain categories of consumers such as the children, elderly and sick people might not be able to provide the requisite biting force for tough meat tissues. Thus they would only be able to consume meat in their grinded form. In order to address this problem, it becomes necessary to have a meat grinding machine; in order to ensure good and easy digestion of the meat in their system.

This paper presents the design of an efficient single meat grinding machine with both manual and motorized mode of operation, which can be used at any where (urban and rural area) and at any time (during electric power outage). This design provides the kinematic arrangement of forces, materials selection and proportion of parts to ensure maximum strength and functionality of the machine. To avoid failure of the machine, the working stress ( $21\text{MN/m}^2$ ) of the machine is kept within the value of its ultimate stress ( $30\text{MN/m}^2$ ).

**Keywords-** Shaft and Handle Design

## I. INTRODUCTION

This paper is the first of its kind ever published. In this design, a single machine with both manual and motorized mode of operation was undertaken. The meat grinding machine is a machine that is used to force meat by means of rotating shaft under pressure through a horizontal mounted cylinder (shaft housing). At the end of the shaft housing there is a cutting system consisting of a cross-shaped knives rotating with the shaft and a stationary perforated disc (hole plate).

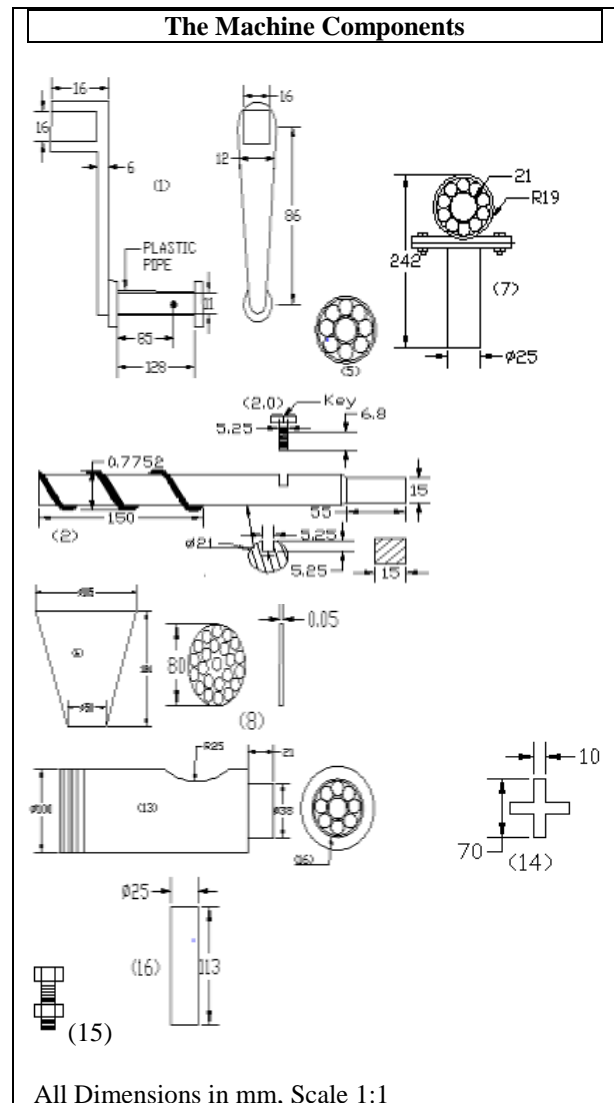
The perforation of the hole plate normally range from 1 to 13mm. the meat is compressed by the rotating shaft, pushed through the cutting system and extrudes through the hole in the hole plate after being cut by the revolving knives. The degree of grinding is determine by the size of the holes in the hole plate.

## II. DESIGN ANALYSIS AND CALCULATIONS

The material selection and proportioning of parts of the meat grinding machine are controlled by their strength, rigidity, corrosion resistance and the

fabrication method. The table I below shows components and their respective materials.

TABLE I. The Machine Components



A. To Select the V-belt and Calculate the Torque,

The machine is designed to use two horse power (2hp) electric motor.

1hp (horse power) = 746W,  
2hp = 1402W = 1.402KW

Since the power of the electric motor is 1.402KW; a “A” type of V-belt with a power range of 0,7-3,5 KW, a top width (b) of 13mm and thickness (c) of 8mm (as shown in figure 2) is selected according to Indian Standard (IS: 2494-1974).

Torque transmitted by electric motor,  $T_t$  is given by,

$$T_t = \frac{P}{\omega}$$

$P$  = power transmitted by electric motor  
 $\omega$  = Angular speed of the electric motor

$$\omega = \frac{2\pi N}{60}$$

$N$  = Speed of rotation of electric motor  
= 1420rev/min

$$\omega = \frac{2 \times 3.142 \times 1420}{60} = 146.6 \text{ rad/sec}$$

$$T_t = \frac{P}{\omega} = \frac{1492}{146.6} = 10.2 \text{ NM}$$

B. To Calculate the Tightening Belt Tension  $T_1$  and Slackening Belt Tension  $T_2$ ,

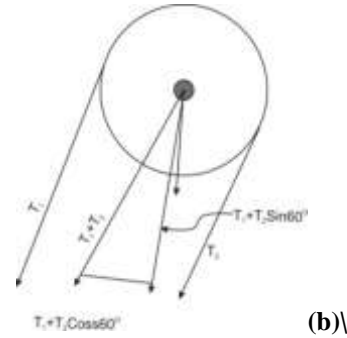
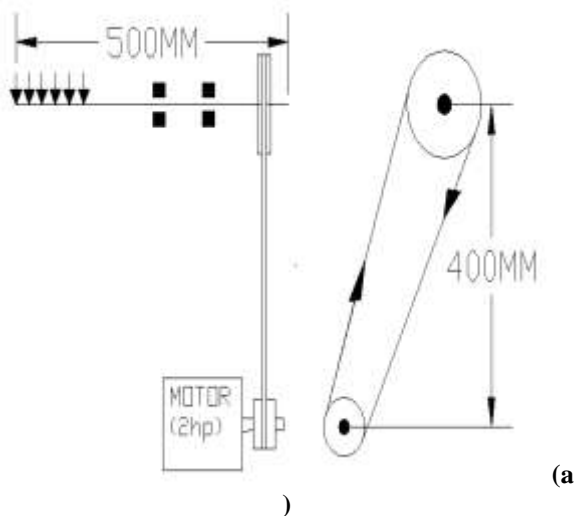


Fig. 1: Power Transmission (a) and Analysis of the Pulley (b),

The above diagram shows the loads acting on the shaft and pulley.

$Mg$  = The weight of the pulley,

$(T_1 - T_2)\sin 60^\circ$  = Vertical load on the shaft,

$(T_1 + T_2)\cos 60^\circ$  = Horizontal load on the shaft,

Torque supplied,  $T_t = (T_1 - T_2)r$ ,

$r$  = radius of the smaller pulley = 0.02275m

$$10.2 = (T_1 - T_2)0.0275$$

$$T_1 - T_2 = 370.9 \text{ N} \quad (1)$$

$$\begin{aligned} \text{Peripheral Velocity, } V &= \omega r \\ &= 146.6 \times 0.0275 = 4.03 \text{ m/s} \end{aligned}$$

Mass/unit length of belt  $m = PgA$

$P$  = Density of belt =  $980 \text{ kg/m}^3$ ,  
 $g$  = Acceleration due to gravity =  $9.8 \text{ m/s}^2$ ,  
 $A$  = Cross-sectional area of belt  $\text{m}^2$

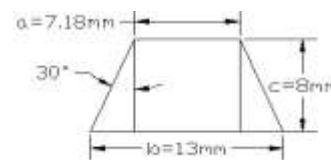


Fig. 2: Cross Section of V-belt

$$\begin{aligned} A &= \frac{1}{2}(a+b)c \\ &= \frac{1}{2}(7.18+13)8 = 80.72 \times 10^{-6} \text{ m}^2 \end{aligned}$$

$$m = \rho g A = 980 \times 9.81 \times 80.72 \times 10^{-6} = 0.78 \text{ kg/m}$$

Centrifugal Tension,  $T_c = MV^2$

$$T_c = 0.78 \times 4.03^2 = 12.7 \text{ N}$$

$$\text{But } \frac{T_1 - T_c}{T_2 - T_c} = e^{\frac{f \alpha_1}{\sin \theta / 2}}$$

$\mu$  = Coefficient of friction between belt and pulley = 0.2,

$\theta$  = Groove angle for V-belt =  $30^\circ$ ,

$\rho$  = Density of belt materials =  $980 \text{ kg/m}^3$ ,

$\alpha_1$  = Angle of wrap for smaller pulley (rad) = ?

$$\alpha_1 = 180^\circ - 2 \sin^{-1} \frac{R-r}{C}$$

$$r = 0.027 \text{ m,}$$

$C$  = Centre distance between pulley =  $400 \text{ mm} = 0.4 \text{ m}$

Radius of the larger pulley,  $R = ?$

$$\text{But } D = \frac{N_1 d}{N_2}$$

The machine is designed so that the speed of the shaft and the larger pulley is 50% of the natural speed of the system.  
Therefore speed of the larger pulley  $N_2$

$$N_2 = \frac{50}{100} \times 1400 = 700 \text{ rev/min}$$

$$D = \frac{1400 \times 55}{700} = 110 \text{ mm} = 0.11 \text{ m}$$

$$R = \frac{D}{2} = 55 \text{ mm} = 0.055 \text{ m}$$

$$\alpha_1 = 180^\circ - 2 \sin^{-1} \left( \frac{0.055 - 0.0275}{0.4} \right) = 171.1^\circ = 3.0 \text{ rad}$$

$$\frac{T_1 - 12.7}{T_2 - 12.7} = e^{\frac{0.2 \times 3}{\sin 30^\circ / 2}} = e^{2.6} = 13.5$$

$$T_1 = T_2 13.5 - 158.8 \quad (2)$$

From equation (1) above

$$T_1 = 370.9 + T_2 \quad (3)$$

Substituting equation (3) into (2) we have;

$$370.9 + T_2 = T_2 13.5 - 158.8$$

$$-12.5 T_2 = -529.7$$

$$T_2 = 42.4 \text{ N}$$

From equation (3) we have;

$$T_1 = 370.9 - 42.4$$

$$T_1 = 328.5 \text{ N}$$

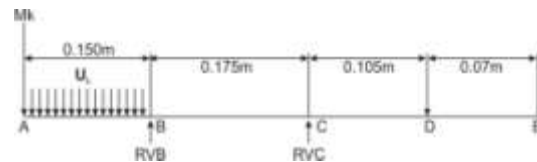


Fig. 3: Vertical Loading on the Shaft

$M_k$  = Weight of the knife = 1.1 N,

$U_L$  = Uniform distributed load =  $175.6 \text{ N/m}$

$R_{vB}$  = Reaction of the bearing at B,

$R_{vC}$  = Reaction of the bearing at C,

$mg + (T_1 + T_2) \sin 60^\circ$  = Vertical Loading at the pulley

$$R_{vB} + R_{vC} = 1.1 + (175.6 \times 0.150) + 349.1$$

$$R_{vB} + R_{vC} = 376.5 \text{ N} \quad (4)$$

$\sum M_B = 0$  (sum of moment at B)

$$-1.1 \times 0.510 - 175.6 \times \frac{0.150^2}{2} + 0.175 \times R_{vC} - 0.28 \times 349.1 = 0$$

$$-0.165 - 1.98 + R_{vC} 0.175 - 97.7 = 0$$

$$R_{vC} = 628.0 \text{ N} \quad (5)$$

Putting (5) into (4)

$$RvB = 376.5 - 628 = -251.5N$$

Moment at A  $M_A = 0$

Moment at B  $M_B = (-1.1 \times 0.150) - (0.150^2 \times 173.6N/m) = -2.1N$

Moment at C  $M_C = -349.1 \times 0.105 = -37.0N-M$

Moment at D  $M_D = 0,$

Moment at E  $M_E = 0$

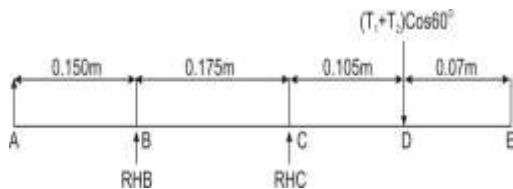


Fig. 4: Horizontal Loading on the Shaft

$$(T_1 + T_2)\text{Cos}60^\circ = \text{Horizontal loading at the pulley}$$

RHB and RHC = are reaction of the bearing B and C for the horizontal loading

$$RHB + RHC = 218N \quad (6)$$

$$\sum M_B = 0 \quad RHC \times 0.175 - 218 \times 0.28 = 0$$

$$RHC \times 0.175 = 61.0$$

$$RHC = 348.8N \quad (7)$$

Putting (7) into (6)

$$RHB + 328.8 = 218N$$

$$RHB = 218 - 348.8 = -130.8N$$

Moment at A  $M_A = 0$

Moment at B  $M_B = -218 \times 0.28 - 348.8 \times 0.175 = 0$

Moment at C  $M_C = 130 \times 0.175 = -23.0N-M$

Moment at D  $M_D = 0,$

Moment at E  $M_E = 0$

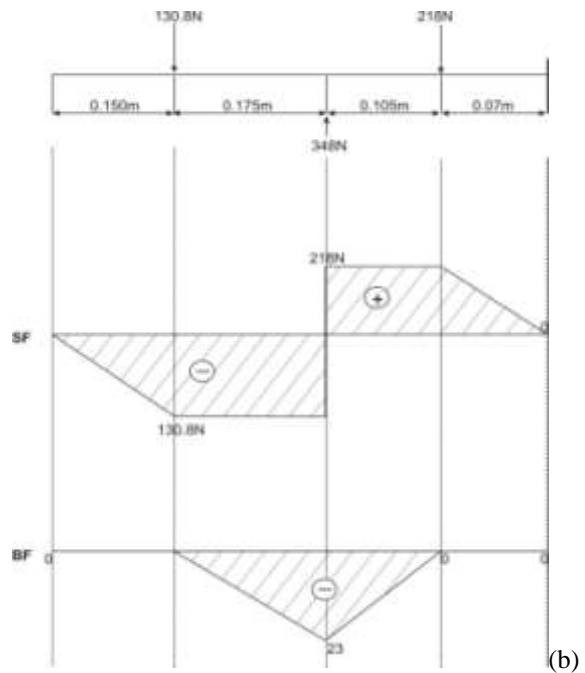
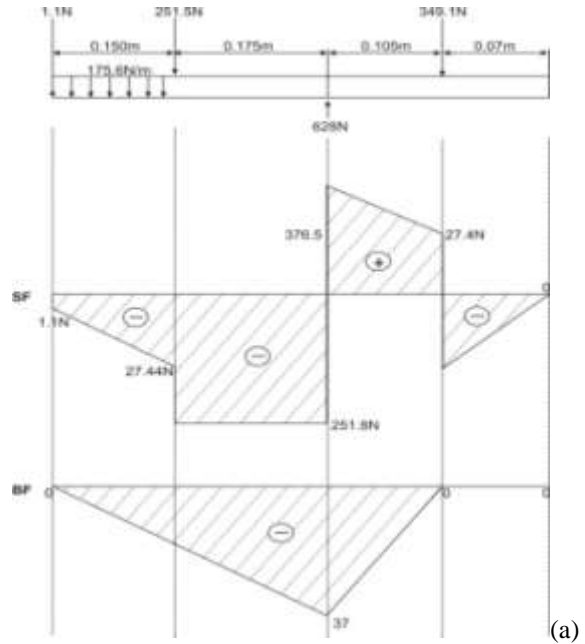


Fig.5: Bending Moment and Shear Force Diagram for Vertical (a) and Horizontal (b) Loading

C. To Calculate the Resultant Maximum Bending Moment,  $M_{max}$ ,

$$M_{max} = \sqrt{M_H^2 + M_V^2}$$

$M_H$  = Maximum bending moment for horizontal loading = -23NM

$M_V$ =Maximum bending moment for vertical loading = -37NM

$$M_{\max} = \sqrt{(-23)^2 + (-37)^2} = 43.6\text{NM}$$

D. To Calculate the Shaft Diameter  $d_0$ ,

In actual practice shafts are subjected to fluctuating torque and bending moment. For shafts subjected to combine bending and torsion, the shaft diameter,  $d_0$  is given by;

$$d_0^3 = \frac{16}{\pi \tau_s} \sqrt{(K_t M_{\max})^2 + (K_t T_t)^2}$$

The shaft is design to have the maximum allowable shear stress of

$$\tau_s = 30 \times 10^{-6} \text{N/M}$$

$K_b$  and  $K_t$  are Combine shock and fatigue factors for bending and torsion. The recommended value for  $K_t$  and  $K_b$  are 1.5 and 1.0 for steady loading (Khurmi 2005),

$$\pi = 3.142$$

$$d_0^3 = \frac{16 \times 10^{-6}}{3.142 \times 30} \sqrt{(1.5 \times 43.6)^2 + (1 \times 10.2)^2}$$

$$d_0 = 22.4\text{mm}$$

The diameter of the shaft for the meat grinder is 22mm.

E. Bearing Selection,

The resultant radial force (F) and the dynamic loading (C) are calculated.

$$F = \sqrt{F_H^2 + F_V^2}$$

$$FH = RHC = 348.8\text{N}$$

$$FV = RVC = 628.0\text{N}$$

$$F = \sqrt{348.8^2 + 628.0^2} = 718.4\text{N}$$

Bearing life  $Ln = 30,000\text{hours}$

Allowable shaft speed  $n$ ,

$$n = \frac{50}{100} \times 1400 = 700\text{rev / min}$$

Constant for ball bearing,  $P = 3$

$$C = F \left( \frac{Ln60n}{10^6} \right)^{\frac{1}{P}}$$

$$= 718.4 \left( \frac{30,000 \times 60 \times 700}{10^6} \right)^{\frac{1}{3}} = 7.759\text{KN}$$

The bearing number 301 having the dynamic loading of 7.65KN is selected

F. To Calculate the Correct Centre Distance C between the Two Pulleys,

The shorter the belt the more often it will be subjected to bending stress while turning around the pulley at a given speed. (Sharma and Aggawal 2006).

The correct centre distance, C is given by:

$$C = L/4 - \frac{\pi(D+d)}{8} + \sqrt{\left( \frac{L}{4} - \frac{\pi CD+d}{8} \right)^2 - \frac{(D-d)^2}{8}}$$

$$= \frac{1.053}{4} - 3.142 \frac{(0.110-0.055)}{8} + \sqrt{\left( \frac{1.053}{4} - 3.142 \frac{(0.11-0.055)}{8} \right)^2 - \frac{(0.11-0.05)^2}{8}}$$

$$C = 0.4824\text{m} = 482.4\text{mm}$$

G. To Calculate the Factor of Safety, FS,

$$FS = \frac{\text{Ultimate Stress}}{\text{Working Stress}}$$

Ultimate Stress = Maximum Allowable Stress in Shaft = 30 000000N/m<sup>2</sup>

$$= 30\text{MN/m}^2$$



A. The Maximum Bending Moment of the Handle  $M_L$ ,

$$M_L = P \times \frac{2l}{3}$$

$$M_L = 170.6 \times \frac{2 \times 0.128}{3} = 14.6N - M$$

B. The Selection Modulus of the Handle Z,

$$Z = \frac{\pi}{32} d^3$$

Where, d = diameter of the handle = 11mm = 0.011m and  $\pi = 3.142$

The diameter of the handle is proportioned as 25mm for single person with the effort of 400N.

Therefore;  $400N = 25mm$

$$170.6N = \frac{25 \times 170.6}{32} = 11mm = 0.011m$$

$$\text{Therefore; } Z = \frac{3.142 \times 11^3}{32} = 130.7mm^3$$

C. The Constant Twisting Moment T,

$$T = \frac{2}{3} \times p \times l$$

$$T = \frac{2}{3} \times 170.6 \times 0.128 = 14.6N-M$$

D. The Maximum Bending Moment  $M_L$ ,

$$M_L = p \times L$$

$$L = \frac{M_L}{P} = \frac{14.6}{170.6} = 0.086m = 86mm$$

The length of the lever, L is 86mm

E. The Width near the Boss B,

$$B = 2t,$$

t = thickness of the lever

The section modulus Z for the level arm is also given by;

$$Z = \frac{1}{6} \times t \times B^2$$

$$\text{Therefore } 130.7 = \frac{1}{6} \times 4 \times t^3$$

$$t^3 = 196.05$$

$$t = 6mm.$$

$$B = 2t = 2 \times 6 = 12mm$$

F. The Dimension or Length of the Square End, of the Handle x,

$$x = \sqrt{\frac{D^2}{2}}, \quad D = \text{Shaft diameter} = 22mm$$

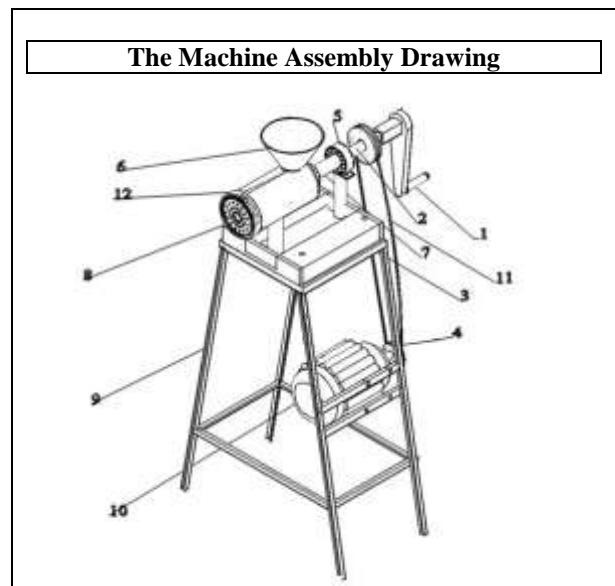
$$x = \sqrt{\frac{22^2}{2}} = 15.5mm$$

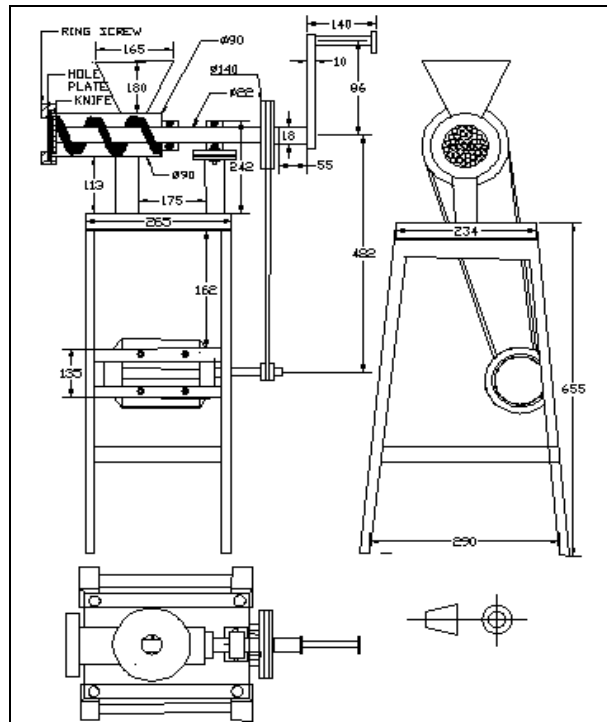
$$x = 16mm$$

## V. MACHINE ASSEMBLY

Table II, shows the position of the various machine components and their respective materials.

TABLE II. The Machine Assembly





All dimensions in mm, Scale 1:1

S/N	Component	Material	Qty
1	Handle	MS, P	1
2	Shaft & Key	SS,MS	1
3	Grinder Base	MS	1
4	Motor Pulley	MS	1
5	Bearing	SS	2
6	Hopper	SS	1
7	Bearing Housing	MS	2
8	Hole Plate	A	3
9	Stand	Ms	1
10	Electric Motor	MS, R	!
11	V-belt	R, C, R	1
12	Ring Screw	A	1
13	Shaft Housing	SS	1
14	Knife	SS	1
15	Bolt & Nut		
	M12x1,25	MS	6
	M16x1,5	MS	4
16	Grinder Leg	MS	1

A-Aluminum, C-Cord, F-Fabric, MS-Mild Steel  
SS-Stainless Steel, R-Rubber

## VI. CONCLUSIONS

To avoid failure of the machine, the working stress is kept within the ultimate stress of the machine. From the Shear Force (SF), Bending Moment (BM) diagram and the value of the Factor of Safety (FS), we conclude that the design is save. We hereby recommend this machine for construction and call on food Engineers and Technologist to develop different types of meat products that can be produced from grinded meat. We also call on entrepreneurs to develop new business model that will utilize the use of this machine for entrepreneurship in order to create jobs and to the reduce the rate of unemployment in the societies,

Finally, if this machine is utilized for the production of grinded meat products: Hospitals, Nurseries and Primaries schools would be a good market for selling of these products.

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